

FUSION OF GPS AND VISUAL MOTION ESTIMATES FOR ROBUST OUTDOOR OPEN FIELD LOCALIZATION

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Abstract: Localization is an essential part of autonomous vehicles or robots navigating in an outdoor environment. In the absence of an ideal sensor for localization, it is necessary to use sensors in combination in order to achieve acceptable results. In the present study we present a combination of GPS and visual motion estimation, which have complementary strengths. The visual motion estimation is based on the tracking of points in an image sequence. In an open field outdoor environment the points being tracked are typically distributed in one dimension (on a line), which allows the ego motion to be determined by a new method based on simple analysis of the image point set covariance structure. Visual motion estimates are fused with GPS data in a Kalman filter. Since the filter tracks the state estimate over time, it is possible to use the prior estimate of the state to remove errors in the landmark matching, simplifying the matching, and increasing the robustness. The proposed algorithm is evaluated against ground truth in a realistic outdoor experimental setup.

1 INTRODUCTION

Robots or land-vehicles operating autonomously in an outdoor environment typically rely on GPS position estimates for determining the vehicle position. Maintaining an accurate position estimate based on GPS may, however, be problematic due to foliage, buildings, or terrain obstructing the line of sight between the receiver and a sufficient number of satellites. To overcome this problem, it is necessary to use sensors in combination in order to achieve acceptable results. Data from GPS is typically fused with data from dead reckoning systems (odometry or inertial) which provide relative position. While the appeal of odometry is that is simple and low cost, the accuracy is susceptibility to errors such as wheel slippage. Inertial sensors on the other hand are costly and experience thermal drift of the zero point and the output scale.

An alternative source of relative position information is based on vision sensors (Olson et al., 2003; Nister et al., 2006). Tracking points in an image sequence allows the relative movement in position and orientation of the camera to be estimated. The accuracy naturally degrades when no or few natural land-

marks are found. Visual motion estimation and GPS have complementary strengths, as the availability of GPS is generally good in the open field, while structure is available for visual tracking when close to buildings etc. where the GPS fail.

In open field applications, landmarks are typically in the horizon and the visual input is a 2D point set which is primarily distributed in one dimension (on a line). If the vehicle motion is restricted to motion on a plane, the problem may be simplified to finding the lines in 2D and calculating the rotation and translation between two consecutive point sets. This simple scenario would typically be too complex and ill posed for general 3D solutions such as (Matthies, 1989) or (Stephen Se and Little, 2005).

Robust and accurate visual motion estimates, require errors in the landmark position estimation and matching process to be minimized. One method for detecting and discarding errors is based on RANSAC and has been applied to motion estimation (Nister, 2003). A potentially efficient approach would be to use the knowledge of the relative motion obtained from a fusion of GPS and vision estimates to remove outliers.

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In this study the focus is on the situation where a vehicle is moving on a planar surface. The vision input is predominantly distributed in one dimension, allowing the rotation and translation to be determined by analysis of the image point set covariance structure. Errors in the visual input are discarded recursively based on a priori motion estimates from a Kalman Filter (KF) where GPS is fused with the vision estimates. The proposed algorithm is evaluated against ground truth in a realistic outdoor experimental setup.

2 MATERIAL AND METHOD

2.1 Visual Motion Estimation

The problem of feature based visual motion estimation is to determine the rotation R and translation T of corresponding points in two or more successive image pairs, Q_c the current, and Q_p the previous position:

$$Q_c = Q_p R + T \quad (1)$$

In this study a new method for visual motion estimation based on feature matching will be introduced. The method address the situation when the corresponding points between two successive stereo image pairs give a point set that is predominately distributed in one dimension. This is a situation that is likely to occur using computer vision for outdoor navigation in open field conditions. In this case detectable and reliable features are often distributed along the horizon or boundaries in the landscape.

The method is based on an analysis of the point sets covariance structure. If the points are predominately distributed along a line the eigenvalues of their covariance matrix will have one large eigenvalue, if the points are distributed in a planar surface it will have two large values, and if the points are well distributed in space it will have three nearly even values. In the last case the method by (Matthies, 1989) or (Stephen Se and Little, 2005) may be used. However, in the case where the corresponding points are not well distributed these method are ill posed and will become numerical unstable.

2.1.1 The 2d Case

In this study we will only consider the situation where a robot is moving on a planar surface and hence its relative movement is restricted to take place only in two dimension.

Let there be n corresponding points $c_i = (x_i, y_i)$ and $p_i = (x_i, y_i)$ in Q_c and Q_p between two successive

stereo pairs. The covariance matrices $\Gamma_{c,p}$ of Q_c and Q_p is then determined.

The eigenvalues $\lambda_{c,p}$ and vectors $\vec{v}_{c,p}$ of $\Gamma_{c,p}$ are obtained and sorted in descending order according to the eigenvalues. The eigenvector due to the largest eigenvalue will correspond to the line which fits the point set with the lowest variance, i.e. corresponding to the line obtain by orthogonal regression (Jackson, 1991). As we have corresponding points in the two sets the rotation between the lines will correspond to the rotation of the robots due to its movement. The rotation (θ) between the two lines is easily determined by:

$$\theta = \arccos(\vec{v}_c \cdot \vec{v}_p) \quad (2)$$

The point set from the previous position Q_p may now be counter rotated so it becomes aligned with the robots local coordinate system for the current position. To account for the uncertainty in the 3D reconstruction the stereo error is modeled according to the method introduced in (Matthies and Shafer, 1987). As a result the translation is calculated as a weighted mean using:

$$w_i = (\det(\kappa_i) + \det(\psi_i))^{-1} \quad (3)$$

as a weight for point i . κ_i and ψ_i are the covariances of the two points c_i and p_i due to the stereo error model. The final estimate of the translation is then:

$$T = \frac{1}{\sum_{i=1}^n w_i} \sum_{i=1}^n w_i (c_i - p_i) \quad (4)$$

where p_i is rotated according to θ .

The covariance estimate for the translation is found as the pooled covariance of κ and ψ where ψ is rotated according to θ .

2.1.2 The 3d Case

In the three dimensional case the proposed method is not as applicable. In this situation it will be necessary to find estimates of the yaw, pitch, and roll angles for the line in space. This will clearly be difficult to estimate for a degenerated point set.

2.1.3 Feature Detection, Description, and Matching

For feature detection, description and matching the method introduced by (Brown et al., 2005) with minor modifications is used. First the input image is incrementally smoothed with a Gaussian kernel. Next an image pyramid is constructed by down sampling of the image at the scale just above the current, as illustrated in Figure 1. Extreme locations is found by

Harris-Corner detection in the image smoothed with a variance s_i larger than one by the Harmonic mean method with a threshold of 10. The extreme points are hereafter denoted as landmarks. Finally, the sub pixel precision of the landmarks are found by a Taylor expansion (up to the quadric term) at the landmarks (Brown and Lowe, 2002).

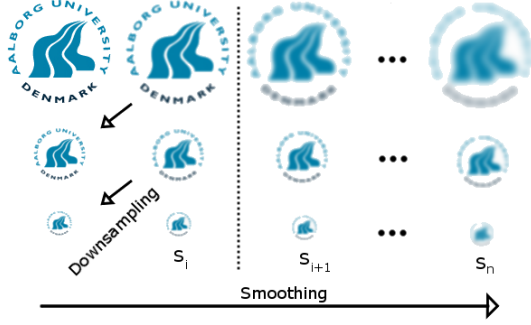


Figure 1: Illustration of the scale-space approach.

The landmarks are described by their orientation in a window of size 28×28 (corresponding to a Gaussian kernel with $\sigma = 4.5$) and sampling of grey level values in their 40×40 neighborhood in the scale above the current, i.e. s_{i+1} where s_i is the variance at the current scale. The grey level values are sampled in a grid with a spacing of 5 pixels rotated according to the landmarks orientation. To adjust for sub pixel precision bilinear interpolation is used around the sampling location to estimate the grey level values, as illustrated in Figure 2. This gives a feature vector for each landmark consisting of 8×8 grey level values.

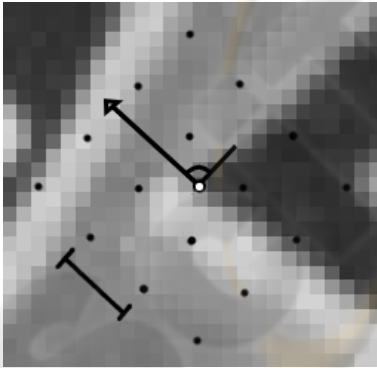


Figure 2: Illustration of the landmarks orientation and grid for sampling of grey values. For clarity only a 4×4 grid is illustrated.

Before matching the feature vector is standardized by subtraction the mean and dividing by its standard deviation. Matching is done along the epipolar lines using the similarity measure $sim = \frac{1m}{2m}$, i.e. the ratio

of the best and second best match. For selection of candidates only sim with a values less than 0.5 is used for matching between successive stereo image pairs. For candidates with successful matching a mean feature vector is determined as the average between the two vectors from each of the stereo images.

Matching between successive stereo image pairs is achieved by using the average feature vector with the same similarity measure and threshold. Successfully matched landmarks are reconstructed and projected onto the ground plane to give Q_c and Q_p .

2.2 Data Fusion

The visual motion and GPS position estimates is fused by a Kalman filter (KF). Let $\chi = (x_w, y_w, v_x, v_y)$ be the state vector in the KF where (x_w, y_w) is the position in the global coordinate system and (v_x, v_y) is the velocity of the robot. The assumed dynamic model assumes a constant velocity and is given by

$$\chi(k+1) = \begin{bmatrix} 1 & 0 & 1 & 0 \\ 0 & 1 & 0 & 1 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \chi(k) + \Sigma_p \quad (5)$$

where the process noise $\Sigma_p \in NID(0, 0.01 \cdot \mathbf{I})$ is normally independent distributed with a covariance corresponding to 10 cm. The filter is updated with measurements from the vision and GPS sensors as outlined in Figure 3.

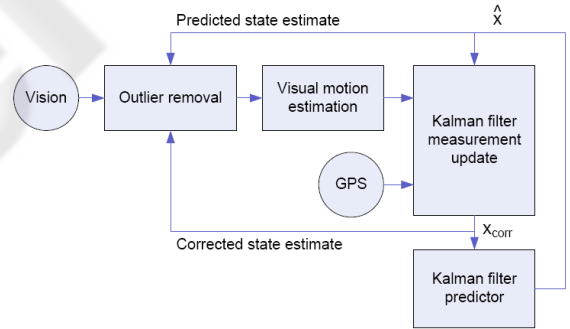


Figure 3: Kalman filter setup. Errors in the image point sets are detecting and discarding using KF estimates.

Since the KF tracks the state estimate over time, it is possible to use the prior estimate of the state to rejects outliers in the image points by comparing the magnitude of the predicted movement of the KF to the movement between the corresponding points in point sets Q_c and Q_p .

The magnitude of the movement η between the corrected χ_{corr} and the predicted $\hat{\chi}$ position of the KF is:

$$\eta = \sqrt{(\chi_{corr} - \hat{\chi})^T (\chi_{corr} - \hat{\chi})} \quad (6)$$

η is used to select plausible corresponding points in Q_c and Q_p according to:

$$\eta\alpha < \delta < \eta\beta \quad (7)$$

where δ is the distance between two point pairs in Q_c and Q_p , i. e. $\delta = \sqrt{(c_i - p_i)^T (c_i - p_i)}$. α and β are constants set to respectively 0.5 and 2. Visual motion estimation was only considered robust when more than 15 point pairs had a δ value within the limits according to eq. 7.

2.2.1 Data Alignment

Angular alignment of the local robot (stereo) coordinate system and the global GPS coordinate system is achieved using an estimate of the orientation θ . This estimate is generally available directly from the visual motion estimates, see eq. 2. The experimental setup, however, provoke the vision system into situations where no valid vision data is available, and an alternative source of angular alignment data is hence required. Such information may be obtained from a magnetometer, by additional modeling and inclusion in the filter model, or by using an attitude type GPS receiver. In the current study, the rotation estimates were obtained from the TANS vector GPS (see section 2.3) in cases where θ is not available from the vision sensor. Consequently, every time the visual motion estimation becomes valid after a period of invalid data, it begins at the correct angle and from here errors accumulate until it is regarded as being invalid again.

2.3 Experimental Setup

To obtain ground truth as correct as possible a calibrated stereo camera setup with the specifications according to table 1, was mounted on a iron pivot with a diameter of 21.78 meters, see Figure 4.

Table 1: Specifications of the stereo setup.

Parameter	Value
Baseline, T	60 cm
Height	75 cm
Focal length, f	8 mm
F-value	1.4
Camera tilt angle	45°
Image resolution	640 × 512
Pixel size, Δx	6.0 x 6.0 μ m

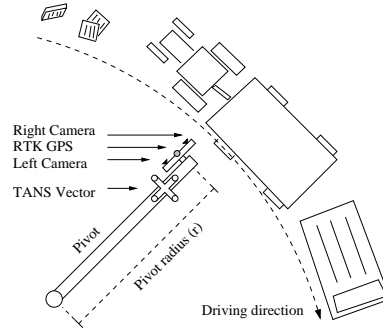


Figure 4: Illustration of the experimental setup.

At the center of the stereo vision setup a TopCon RTK GPS-module was placed. At approximately 17 meter from the center a Trimble Advanced Navigation System (TANS), vector GPS attitude measurement system was placed. The TANS vector is a four-antenna, six-channel Global Positioning System (GPS) receiver system which provides standard or differentially corrected (DGPS) position, velocity, time, and 3-dimensional attitude (azimuth, pitch, and roll) to external data terminals. Corresponding readings from the GPS module, the TANS vector and the stereo setup was recorded. The TANS vector is regarded as ground truth and operates with an accuracy of 0.5° (RMS). The pivot is drawn smoothly backwards clockwise with an angular velocity of approximately 0.7 $\frac{rad}{s}$. The ground surface at the setup has only minor undulations and may be regarded as planar.

The landscape surrounding the pivot is open field. At the end of the circular movement of the pivot a tractor with a trailer and a Van was placed closed to the circumference to simulate the situation that the GPS gets occluded and the vision system gets reliable landmarks, see Figure 5.

Reliable covariance estimates are not directly available from the TopCon RTK GPS-module. Instead an estimate was formed by taking five GPS readings on either side of the current position. The sum of squares and cross product matrix of the error between the position of the TANS vector readings and the GPS for the 11 samples was used as an estimate of the covariance of the GPS.

3 RESULTS

In Figure 6 the percentage variance explained by the first eigenvalue of the covariance matrices for respectively Q_c and Q_p is plotted. Except at the beginning and at the end of the experiment the first eigenvalue



Figure 5: Images from the beginning and end of the image series.

account for about 90% of the variance in the point sets. At the end of the series the point sets is not as dominantly distributed in one dimension which is in good agreement with what is to be expected from the experimental setup.

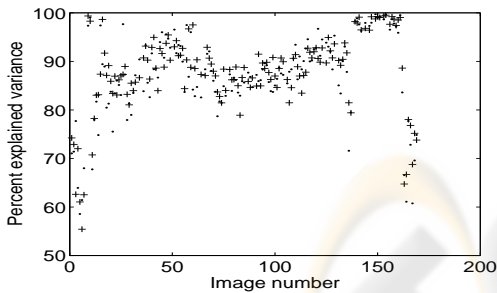


Figure 6: Percentage explained variance by the first eigenvalue of the covariance matrix. Dot, the current point set, Q_c . Cross the previous point set, Q_p .

The "raw" measurements from the experiment are illustrated in Figure 7. The raw angular readings from the TANS measurements are multiplied by the radius (21.78 meters) i.e. the distance from the center of pivot and to the center of the Topcon GPS module. In this way the ground truth for the experiment is obtained.

The visual estimates are given in a local robot coordinate system. The local estimates are projected onto the global GPS defined coordinate system using the cumulative value of θ . From the figure it is obvious that the visual motion estimates are most reliable at the end of the series. In contrast the GPS recordings are stable until the end of the trajectory where it gets occluded by the obstacles placed along the cir-

cumference.

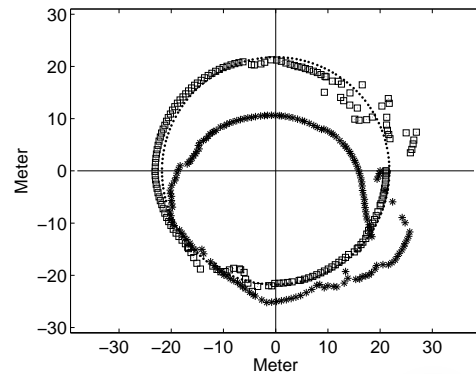


Figure 7: Raw measurements. Dot, readings from the TANS setup. Box, GPS readings. Star, accumulated movement by the visual motion estimation.

In Figure 8 the Kalman filtered position estimates with and without the visual motion estimates is plotted. From the figure it obvious that inclusion of the visual motion estimate makes the position more smooth, especially at the end of the experiment.

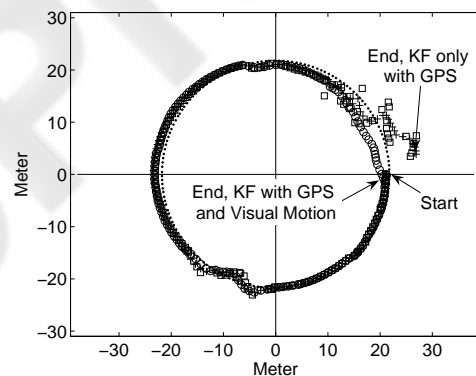


Figure 8: Kalman filtered data for the experiment. Dot, readings from the Tans setup. Box, GPS readings. Cross, KF position estimates using only GPS readings as input. Circle, KF position estimates including the visual motion estimates.

Table 2 and Figure 9 summaries and illustrate how the position estimates from the Kalman filter with and without visual motion estimation deviate from the ground truth. From the table it may be noticed that for the mean deviation there is no difference for the two approaches. However, for the standard, maximum, and deviation from "closing the circle" there are significant smaller deviation for the Kalman filter supported by visual motion estimation.

Table 2: Deviation from the ground truth of the position estimates given by the Kalman filter. GPS, only GPS readings included in the KF. Visual motion, GPS readings and visual motion estimates included in the KF.

Deviation (meters)	GPS	Visual motion
Mean	1.38	1.39
Std	1.16	0.80
Max	6.76	2.83
Closing the circle	6.58	1.63

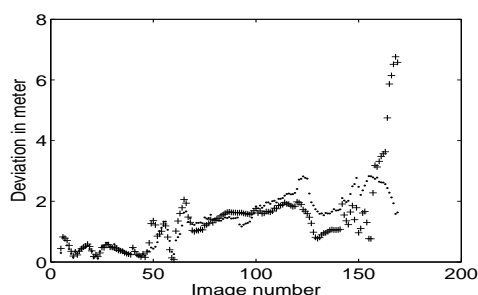


Figure 9: Deviation of the Kalman filtered position estimate relative to the position from the TANS vector. Cross, only GPS. Dot, visual motion estimation included in the KF.

4 DISCUSSION

In this study the problem of using visual motion estimation to support GPS localization under non ideal condition for either technologies. A significant effort has been put into establishing ground truth estimate of the position a prerequisite for evaluation of the problem addressed.

The α and β has in this study been set to constant values. In a more dedicated filter the two constant should be connected to the covariance structure of the corrected and predicted state estimate of the KF.

The visual motion estimation has to some degree been put into a favorable situation by letting the method start at the right rotation angle for alignment after a drop-out. Whether other sensor modalities or landmarks can provide the "correct" angle at a given position has not been addressed. But what its demonstrated is that the introduced simple visual motion method together with the KF outlier detection is able to enhance the localization estimate where the GPS is occluded without degrading the estimate where the visual estimate is unreliable.

5 CONCLUSION

We presented a system for motion estimation of robots or vehicles operating in an outdoor environ-

ment. The outdoor open field application presents some specific problems, such as GPS signal occlusion, and visual landmarks that are primarily distributed in the horizon on a line. We benefited from the complimentary strengths of vision and GPS, by fusing the motion estimates in a Kalman filter while using the filter estimates to remove outliers in the visual landmark matching. Assuming vehicle motion on a plane, and focusing on a dimensional image point distribution, allowed visual motion estimation based on analysis of the image point set covariance structure. The system was tested under realistic open field outdoor conditions. The system was tested against ground truth and the fusion of GPS and vision proved to significantly reduce the variance compared to a situation with only GPS.

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