

Contour Learning and Diffusive Processes for Colour Perception

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Abstract: This work proposes a bio-inspired neural architecture called L-PREEN (Learning and Perceptual boundary rEcurrent dETection neural architecture). L-PREEN has three different feedback interactions that fuse the bottom-up and top-down contour information of visual areas V1-V2-V4-Infero Temporal. This recurrent model uses colour, texture, and diffusive features to generate surface perception and contour learning and recognition processes. We compare the L-PREEN model against other boundary detection methods using the Berkeley Segmentation Dataset and Benchmark (Martin et al., 2001). The results obtained show better performance of L-PREEN using quantitative measures.

1 INTRODUCTION

In this paper, a bio-inspired neural architecture called L-PREEN (Learning and Perceptual boundary rEcurrent dETection Neural architecture) is proposed. L-PREEN has three different feedback interactions that fuse the bottom-up and top-down contour information of visual areas V1-V2-V4-IT. This recurrent model uses colour, texture and diffusive features to generate diffusive surface perception and contour learning processes.

There are several artificial neural models that model the behaviour of the human system (Grossberg and Williamson, 1999), (Kokkinos et al., 2008), (Mingolla et al., 1999). There are just a few bio-inspired proposals in the literature that include colour as a fundamental characteristic in the early image processing. Grossberg and Huang (Grossberg and Huang, 2009) proposed ARTSCENE for colour scene recognition. Their model for colour features extraction is comprised of three independent R, G, and B channels, without a formulation of colour opponent channels. Similarly, using RGB independent channels, Hong and Grossberg (Hong and Grossberg, 2004) proposed a bio-inspired neuromorphic model for removing the variations on the illumination effects in colour natural scenes. Using colour opponent signals, Vonikakis et al. (Vonikakis et al., 2006) proposed a model with contour extraction in colour images. In their

opponency model, they propound two positive-negative concentric square neighbourhoods where the direct subtraction of the opponent signals is performed.

2 PROPOSED RECURRENT BOUNDARY DETECTION ARCHITECTURE

The L-PREEN architecture detects the most perceptual significance natural boundaries and generates surface perception. The L-PREEN recurrent interactions fuse the bottom-up (BU) and the top-down (TD) informations. The L-PREEN model is comprised of seven main stages (see Figure 1): an Opponent Channel stage (OC), a Contour Channel stage (CC), a Competitive Fusion stage (CF), a Cooperative Saliency stage (CS), a Region Enhancement stage (RE), and Contour Learning Neural Network (CLNN). These stages are applied in three scales s ($s=0$ small, $s=1$ medium, $s=2$ large). The LPREEN model processes three signals, luminance and two chromatics:

$$\begin{aligned}c_{ij}^{lum(s)} &= (R_{ij} + G_{ij} + B_{ij})/3, \\c_{ij}^{rg(s)} &= R_{ij} - G_{ij}, \\c_{ij}^{by(s)} &= B_{ij} - (R_{ij} + G_{ij})/2,\end{aligned}$$

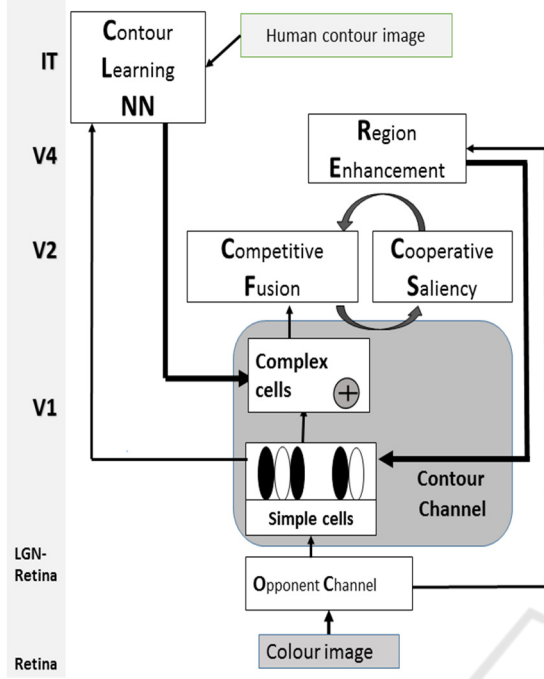


Figure 1: Scheme of the L-PREEN architecture.

2.1 Contour Channel Stage

The CC stage in L-PREEN models the behavior of the simple and complex cells in V1. The activity of simple cells is obtained through Gabor filters, $G_{\sigma,k,f}^{(s)}$, for three scales ($s=0,1,2$), six orientations ($k=0,\dots,5$ corresponding to $\theta=0^\circ, 30^\circ, 60^\circ, 90^\circ, 120^\circ, 150^\circ$), deviations $\sigma = \{1.0, 2.0, 4.0\}$ and frequencies $f = \{0.1, 0.07, 0.03\}$.

The model equation for RG channel is detailed in (1).

$$(e_{ijk}^{rg(s)}, f_{ijk}^{rg(s)}) = c_{ijk}^{\gamma(s)} \otimes G_{\sigma,k,f}^{(s)} \quad (1)$$

where, \otimes represents matrix convolution.

The complex cells in L-PREEN receive inputs from the bottom-up pathway (BU) coming from the OC stage and the top-down pathways (TD) of the RE-V4 stage and the LCNN stage (see Figure 1). These inputs are fused together following equation (2) with $[c]^+ = \max(c, 0)$ and gain constants α, β and κ (1.0, 1.0, 0.6);

$$H_{ijk}^{(s)} = \sum_{\gamma} \alpha \left([e_{ijk}^{\gamma(s)}]^+ + [f_{ijk}^{\gamma(s)}]^+ \right) + \beta \left([w_{ijk}^{e\gamma(s)}]^+ + [w_{ijk}^{f\gamma(s)}]^+ \right) + \kappa \left([e_{ijk}^{RE\gamma(s)}]^+ + [f_{ijk}^{RE\gamma(s)}]^+ \right) \quad (2)$$

2.2 Competitive-Cooperative Loop

The inner BU-TD interaction is performed in the competitive CF and cooperative CS stages through a multiplicative competitive network with double inhibition among spatial positions and among orientations. This recurrent interaction detects, regulates, and completes boundaries into globally consistent contrast positions and orientations, while it suppresses activations from redundant and less important contours, thus eliminating image noise. The CF activity, $U_{ijk}^{(s)}$, follows equation (3) with, $G_{pq}^{(s)}$ and $S_{pqr}^{(s)}$ are Gaussian functions and $\sigma^{(s)} = \{0.4, 0.8, 1.0\}$, $u_{ijk}^{(s)} = K_h H_{ijk}^{(s)} + K_f F_{ijk}^{(s)}$ is the fusion between the BU signal from the CC stage ($H_{ijk}^{(s)}$) and the TD signal from the CS stage ($F_{ijk}^{(s)}$, see equation 4). $[c]^+ = \max(c, 0)$, $A_4=10.0$, $K_h=1.0$, $K_f=5.0$, $C_c=0.3$ and $C_i=0.1$.

$$U_{ijk}^{(s)} = \frac{u_{ijk}^{(s)} - C_i \sum_{r \neq k} \sum_{pq} S_{pqr}^{(s)} u_{pqr}^{(s)} - C_c \sum_{pq} G_{pq}^{(s)} u_{pqk}^{(s)}}{A_4 + u_{ijk}^{(s)} + \sum_{r \neq k} \sum_{pq} S_{pqr}^{(s)} u_{pqr}^{(s)} + \sum_{pq} G_{pq}^{(s)} u_{pqk}^{(s)}} \quad (3)$$

$$F_{ijk}^{(s)} = \frac{z \left(\sum_{pqk} P_{pqk}^{(s)} U_{pqk}^{(s)} \right) z \left(\sum_{pqk} N_{pqk}^{(s)} U_{pqk}^{(s)} \right)}{A_5 + \left(\sum_{pqk} P_{pqk}^{(s)} U_{pqk}^{(s)} \right) \left(\sum_{pqk} N_{pqk}^{(s)} U_{pqk}^{(s)} \right)} \quad (4)$$

where $P_{pqk}^{(s)}$ and $N_{pqk}^{(s)}$ are the receptive field lobules with bipole profile (see Figure 2), $A_5=0.001$ is a constant and $z(s) = \max(s-\alpha, 0)$, $\alpha=0.1$.

This competition-cooperation recurrence is computed in an iterative way following equations (3) and (4). In our test simulations, convergence is accomplished after 56 iterations.

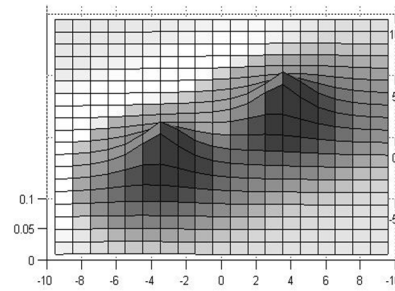


Figure 2: Profile of the dipole.

2.3 Region Enhancement Stage

Region enhancement performs diffusion processes from three channels.

These diffusions yield a colour coherent homogenization within significant regions of the natural scene. This region enhancement corresponds to the surface perception.

For the diffusion process an iterative scheme based in equation (5) is proposed. In this equation, $z_{ij}^{\gamma(s)}$ is the γ -channel diffusion, $A_7=1.0$ is a constant, $c_{ij}^{\gamma(s)}$ represents the OC signal rg , and N_4 are the nearest neighbors to position (i, j) , $\eta_{pqij} = K_e e^{-K_p(U_{pq}^{(s)}+U_{ij}^{(s)})}$ is the permeability with $U_{ij}^{(s)} = \sum_k U_{ijk}^{(s)}$, $K_e=1.0$, $K_p=10.0$ are positive constants.

$$z_{pq}^{\gamma(s)} = c_{ij}^{\gamma(s)} \quad \text{in } t = 0$$

$$z_{ij}^{NEW\gamma(s)} = \frac{z_{ij}^{OLD\gamma(s)} + \sum_{p,q \in N_4} z_{pq}^{OLD\gamma(s)} \eta_{pqij}}{A_7 + \sum_{p,q \in N_4} \eta_{pqij}} \quad (5)$$

Fig. 4 shows L-PREEN diffusion outputs. These diffusions (surface perception) will be filtered to extract the contours which will behave as feedback.

2.4 Contour Learning Neural Network

The CLNN stage includes a SOON neural network (Antón et al., 2009) based in Fuzzy ARTMAP (Carpenter et al., 1992) that merges the contour information coming from different scales, in order to generate the learning of the ground truth contours traced by humans (see Figure 3-down).

The contour activity pattern R_{ij} is expressed following equation (6).

$$R_{ij} = (e_{ij0}^{on(1)}, f_{ij0}^{on(1)}, e_{ij0}^{rg(1)}, f_{ij0}^{rg(1)}, \dots, e_{ij0}^{on(2)}, \dots, e_{ij0}^{on(3)}, \dots, e_{ijk-1}^{on(1)}, f_{ijk-1}^{on(1)}, e_{ijk-1}^{rg(1)}, f_{ijk-1}^{rg(1)}, \dots, e_{ijk-1}^{on(2)}, \dots, e_{ijk-1}^{on(3)}, \dots) \quad (6)$$

where (i, j) is the position, $(e_{ijk}^{(s)}, f_{ijk}^{(s)})$ is the pair corresponding to the real and imaginary parts of the Gabor filtering (see equation 1). SOON network has two levels of neural layers, the input level C1 with 6 layers and complementary coding, and the categorization level C2 (see figure 3-up). To link these two levels, there is an adaptive filter with weights w_d where prototypes learnt of the categories generated are stored.

In the train phase, the positions belonging to human contours of the ground truth images are taken as a reference for contour pattern learning (see Fig. 3-down). In the test mode, the weights of the selected node, w_D (D =winner category) determine the

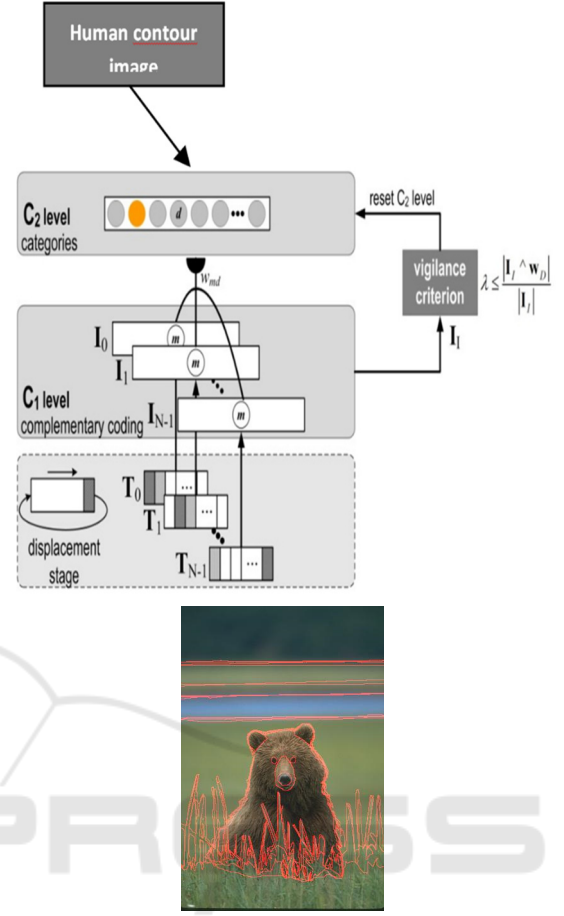


Figure 3: Up: Scheme of the SOON architecture. Down: Original image with overlapped human contours. The points of ground truth represented in red are the learning points.

feedback signals of the LCNN contour learning stage $(w_{ijk}^{e\gamma(s)}, w_{ijk}^{f\gamma(s)})$ (see equation (2)).

2.5 Experimental Results

We have used every single image of the BSD300 from the Berkeley Segmentation Dataset (Martin et al., 2001), the 200 images for train and the 100 images for test, together with their human segmented images counterparts. The latter were taken as the ground truth for learning process and to accomplish F-values. The F-value is the harmonic mean of precision (the fraction of true positives) and recall (the fraction of ground-truth boundary pixels detected), at the optimal detector threshold. Depending on the relative cost between these measures, the F-value is expressed according to Eq. (7) where P stands for precision, R for recall and α is the relative cost.

$$F = \frac{PR}{\alpha R + (1 - \alpha)P} \quad (7)$$

For the tests performed using L-PREEN we chose a relative cost $\alpha = 0.5$,

The average F-value obtained is $F=0.64$ (0.60, 0.69), as showed in Fig. 4. Fig. 5 shows some of the segmentation results obtained using L-PREEN We are going to compare the L-PREEN results with a method for boundary detection based in tensor voting with perceptual grouping in natural scenes that has been made available publicly. Perceptual groupings achieve to extract illusory figures o completed boundaries following the Gestalt visual perception principles. Therefore, the comparison method proposes a non-neural scheme of perceptual groupings of natural figures in cluttered backgrounds different from L-PREEN. Loss et al. (Loss et al., 2009) proposed an iterative method based in multiscale tensor voting. Loss et al.'s approach consists in iterative removing image segments and applying a new voting over the rest of the segments, in order to estimate the most reliable saliency. The tensor representation chosen was subsets of pixels to form the tensor with ball or stick tensors initialization. The decision on this representation is based in reducing the number of tensors, what at the end reduces the computation time. In this work they present an evaluation of their method using two datasets: fruit synthetic images and the BSDS300 Berkeley dataset. In the latter evaluation, they use five base segmentation methods (Gradient Magnitude (GM), Multi-scale Gradient Magnitude (MGM), Texture Gradient (TG), Brightness Gradient (BG) and Brightness/Texture Gradient (BTG), to generate a Boundary Posterior Probability map ('segmentation feeders'). This map is employed as a preprocessing step for their method. In order to quantify the results, they obtained the F-value and Precision-Recall graphs. The F-values obtained using the five methods over the 100 test images of the Berkeley Dataset where 0.57, 0.58, 0.57, 0.60 and 0.62 respectively. L-PREEN obtains an F-value of 0.64, as it is showed in Table 1, which is a better result than all the five versions of the comparison method.

We took the Matlab code of the gPb method (Global Probability of Boundary) (Arbelaez et al., 2011), third position in the ranking published in the Berkeley-Benchmark http://www.eecs.berkeley.edu/Research/Projects/CS/vision/bsds/bench/html/image_s.html offered by their authors in the University of Berkeley website and performed some executions for the 100 test images, obtaining an average execution

time of 403.29 s per image, while L-PREEN needs 159.12 s.

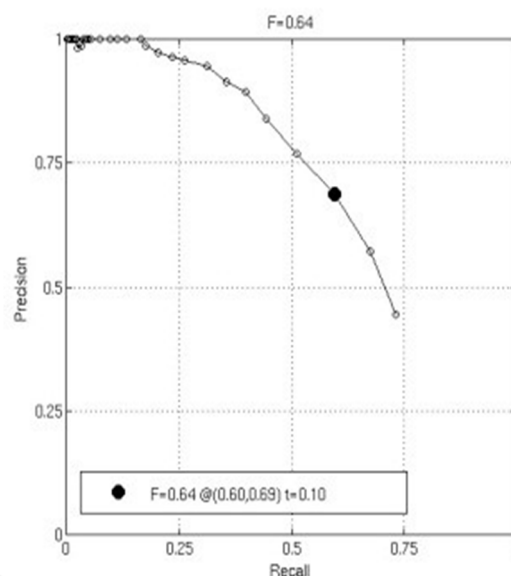


Figure 4: Precision-recall curve.

Table 1: Comparative results.

Method	F-value
Loss et al's method with GM method	0.57
Loss et al's method with MGM method	0.58
Loss et al's method with TG method	0.57
Loss et al's method with BG method	0.60
Loss et al's method with BTG method	0.62
L-PREEN	0,64

3 CONCLUSIONS

This work presents a new model, L-PREEN, for detecting the boundaries and the surface perception of colour natural images. This model is bio-inspired on processes in V1, V2, V4 and IT visual areas of the Human Visual System.

L-PREEN model includes orientational filtering, competition among orientations and positions, and cooperation through bipole profile fields and contour learning. The proposed architecture has been compared with Loss et al.'s method (Loss et al., 2009), obtaining better results. A major advantage of the L-PREEN model is its speed when compared to other methods. L-PREEN can be implemented using matrix and convolution operations, making it compatible and scalable with parallel processing hardware. This research will be our future work.

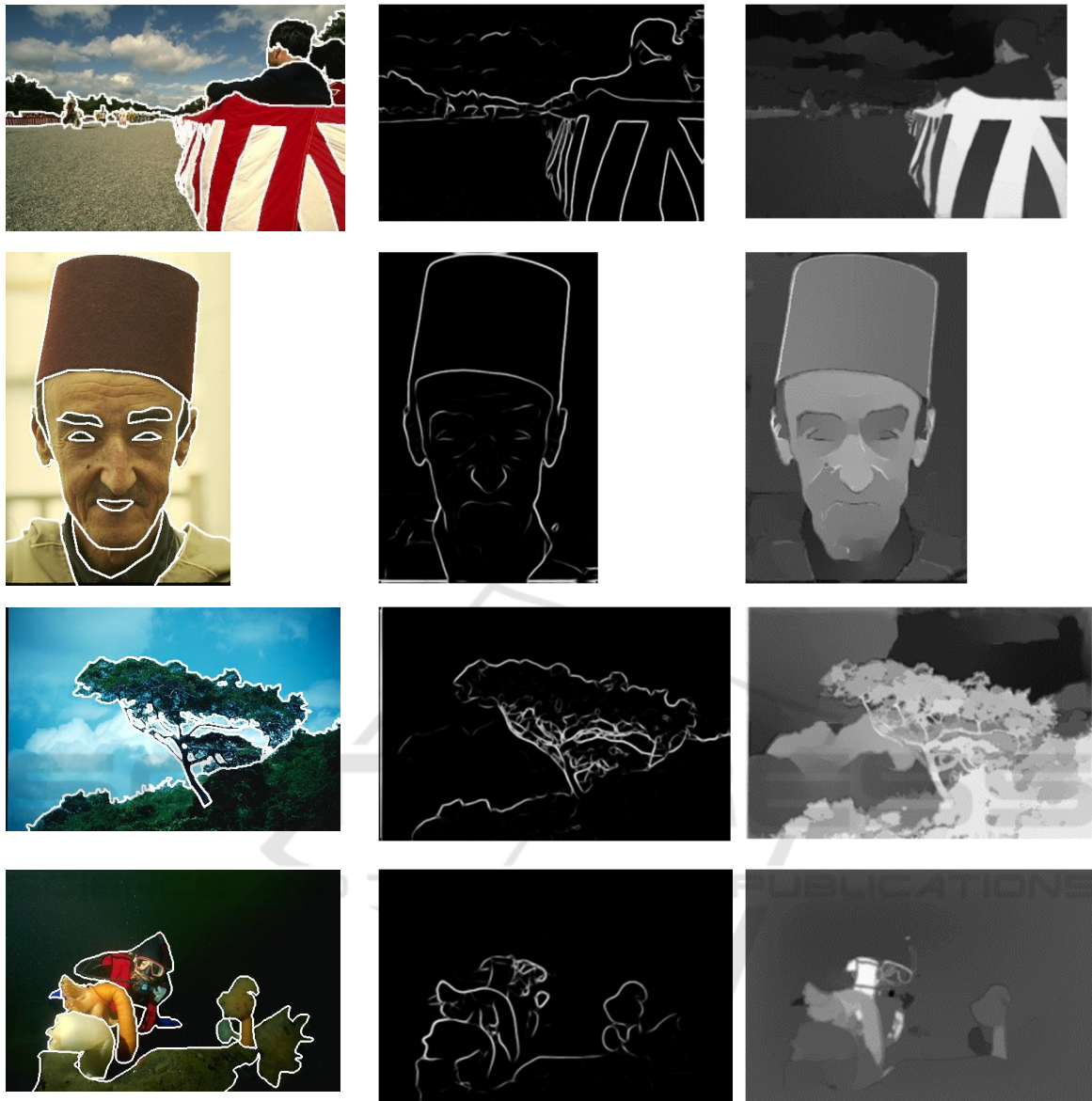


Figure 5: Examples of processing results using L-PREEN. Left column: original image with overlapped human contours. Second column: L-PREEN boundary output. Third column: diffusion output (rg channel).

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