A Real-time Temperature Anomaly Detection Method for IoT Data

Wei Liu[1,2] [a], Hongyi Jiang[1] [b], Dandan Che[1,2], Lifei Chen[1,3] and Qingshan Jiang[1]

[1]*Shenzhen Institutes of Advanced Technology, Chinese Academy of Sciences, Shenzhen, P.R. China*
[2]*Shenzhen School of Advanced Technology, University of Chinese Academy of Sciences, Shenzhen, P.R. China*
[3]*Digital Fujian IoT Laboratory of Environmental Monitoring, Fujian Normal University, Fuzhou, P.R. China*

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Abstract: Temperature control plays a vital part in medical supply management, of which effective monitoring and anomaly detection ensure that the medication storage is maintained properly to meet health and safety requirements. In this paper, an unsupervised temperature anomaly detection method, called DTAD (Dynamic Threshold Anomaly Detection), is proposed to detect anomalies in real-time temperature time series. The DTAD sets dynamic thresholds based on the Smoothed Z-Score Algorithm, rather than set fixed thresholds of a temperature range by experience. The comparative evaluation is performed on the DTAD and four other commonly employed methods, the results of which shows that the DTAD reaches a higher accuracy and a better time efficiency. The DTAD is fully automated and can be used in developing a real-time IoT temperature anomaly detection system for medical equipment.

1 INTRODUCTION

With the rapid development of Internet of Things (IoT) technology, various IoT applications emerge in different industries including agriculture, logistics, manufacturing, healthcare, finance, education, etc (Li and Chen, 2014). Among them, healthcare is closely related to the physical and mental well-being of people, and thus is an issue of utmost concern to the society. Under the stress of the aging populations and the greater prevalence of chronic diseases, healthcare stakeholders have been continuously striving to find a solution for the increasing healthcare demand gap (Dueñas et al., 2016). Fortunately, technological advances in areas including biotechnology, pharmaceuticals, information technology, the development of medical equipment, and more have all made significant contributions to the construction of the smart healthcare system, improving the health of people all around the world.

Information technologies, including IoT, mobile Internet, cloud computing, big data, 5G, microelectronics, and artificial intelligence, together with modern biotechnology constitute the cornerstone of smart healthcare (Clauson et al., 2018). The scenarios of smart healthcare include medical nursing, medical equipment management, medical supplies management, telemedicine and medical incident management (Liang, 2012a).

Medical supplies are core assets for healthcare facilities (Bélanger et al., 2018). It is of vital importance that healthcare organizations manage their assets to keep their expenditures under control as well as ensure the quality of healthcare delivery. Storage temperature management, as an indispensable part of the medical supply management, contributes to the maintenance of the normal storage conditions of medication, as medication storage requires strict temperature control requirements in order to maintain product potency (Makui et al., 2019). Temperature management of medical supplies calls for an integrated and systematic process to monitor, alert and remedy, and any failure of which may result in economic losses or even medical malpractices (Ukil et al., 2016). Under that demand, a real-time IoT temperature monitoring and anomaly detection system with a high accuracy and a good time efficiency can be a solution.

To explore an anomaly detection method suitable for medication storage temperature data, we acquired real temperature data sets of 100 refrigerators sensors placed in different medical refrigerators in biomedicine laboratories from November, 2018

[a] https://orcid.org/0000-0002-5165-8051
[b] https://orcid.org/0000-0003-0655-0532

to December, 2019 (more than 6,000,000 records in total). We evaluate the performances of the commonly emoployed anomaly detection methods on the data sets but they all show comparatively low accuracy and poor time efficiency (see Comparative Evaluation in section 4.2 for details).

Hence, to improve the quality and efficiency of the temperature management of medication storage, a temperature anomaly detection method based on adaptive dynamic threshold and Smoothed Z-Score Algorithm is proposed to detect anomalies IoT refrigerator time series data. This method takes the stationarity and periodicity of the temperature time series into consideration, and thus develops a more accurate detection approach. Moreover, this paper compares the effectiveness indicator of this method and several commonly employed anomaly detection methods to prove its validity.

2 RELATED WORK

Due to the large variety of scenarios and demands, there are numerous models developed to detect anomalies, each has its own characteristics and applications. Traditionally for temperature anomaly detection, the most commonly adopted method is Delphin method of fixed threshold: once the temperature goes beyond the fixed thresholds, it will be identified as an anomaly (Munir et al., 2019). However, as the thresholds are set at fixed levels, this methold can not detect anomalies at their beginning periods, which leads to poor timeliness.

Statistical models are also commonly employed to detect anomalies. Boxplot is a simple statistical method which defines its outlier as a data point that is located outside the whiskers of the boxplot (Shevlyakov et al., 2013). Another popular statistical method, Local Outlier Factor (LOF), is an unsupervised density-based method which detects the outliers by measuring the local deviation of a given data point with respect to its k-nearest-neighbors (k-NN) (Lei et al., 2018). However, the basic assumption of LOF is that the data is distributed in a spherical way around the instance (Goldstein, 2014), which is not the case for IoT temperature data. Classification method such as k-NN is also used to detect anomaly points by classifying data based on similarities in distance metrics. However, k-NN is a supervised learning algorithm and the effectiveness of k-NN highly depends on the choice of k (Liu et al., 2017).

Anomaly detection models also exist based on machine learning. Isolation Forest is an unsupervised model-based algorithm which identifies the point anomaly by separating/isolating it from the rest of the instances. The way of isolation is recursively generating partitions on the sample by randomly selecting a feature and then randomly selecting a split value between the maximum and minimum values of that selected feature (Puggini and Mcloone, 2018). However, Isolation Forest is only sensitive to global outliers, and is weak in dealing with local outliers, which may decrease its effectiveness in anomaly detection for temperature time series.

The main restriction of the above mentioned methods on refrigerator temperature time series data is that they neglect the gradual variation process of the temperature anomaly points, which results in lower accuracy and worse timeliness. To address this problem, we try to include the temperature variation tendencies revealed by the history data in the anomaly detection process, and the method we propose will be presented in the next section.

3 A DYNAMIC ANOMALY DETECTION METHOD

There are mainly two phases of our Dynamic Threshold Anomaly Detection (DTAD) Method: a) conduct Augmented Dickey-Fuller Test to verify the stationary of the IoT temperature data acquired; b) conduct anomaly detection using Smoothed Z-Score Algorithm. The flow chart of the Dynamic Threshold Anomaly Detection Method is shown in Figure 1.
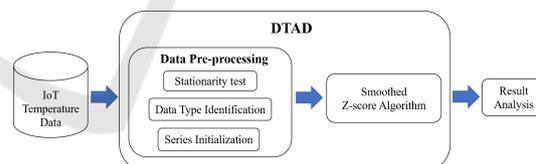
Figure 1: Flow Chart of Dynamic Threshold Anomoaly Detection Method.

3.1 Data Pre-processing

There are three parts of data pre-processing and the detailed explanations are stated below.

3.1.1 Stationary Test

Temperature sensor data is time series. It's generally assumed that the characteristics of the time series reflected in the historical data still exist in the future, which describes the stationary quality of the time series: the invariance under translation in time. Considering this requirement of time series,

the stationary test was conducted before anomaly detection.

Stationary time series satisfies the following conditions: a) the mean is a constant, independent of time; b) the variance is a constant, independent of time; c) the covariance between the values at any two time points, depends only on the difference between the two times, and not on the location of the points along the time axis.

Here, Augmented Dickey-Fuller Test (ADF Test) is adopted to test the stationary of our time series(Mushtaq, 2011). The purpose of the ADF Test is to test whether a time series variable is non-stationary and possesses a unit root (a stochastic trend): if yes, then the time series is not stationary; otherwise, it is stationary.

3.1.2 Data Type Identification

Medical refridgerators can be catagorized into two calsses, inverter or conventional refrigerator, each generating different type of data. Inverter refrigerator can adjust its inside temperature according to the temperature detected and keep it at a constant level, but conventional refrigerator does not have the function. As a result, the temperature data of inverter refrigerator is periodic, while that of conventional refrigerator is not. Hence, the first step in anomaly detection is to identify the models of the refrigerators and categorize them into inverter refrigerator or conventional refrigerator.

Considering the periodicity of the inverter refrigerator data, it is necessary to decycle the time series before the next step. For the purpose, the moving average model is used (Liang, 2012b):

$$F_{t+1} = \frac{1}{n} \sum_{i=t-n+1}^{t} x_i \qquad (1)$$

where F_{t+1} denotes the temperature value at time $t+1$ after smoothing, x_i represents the temperature value at time i, and n is the number of values to be averaged.

3.1.3 Time Series Initialization

Time Series initialization aims to allow anomalies to be accurately detected even when they appear in the beginning periods of the time series. The DTAD is predicting future temperature values based on a certain period (which is defined as the lag and will be further explained in the next section) of historical data, and it assumes that there is no anomaly in this period so the predicted values are normal temperature values. Hence, we create a short series manually where there is no anomaly in the series and insert it ahead of the original time series.

The time series initialization is based on the Algorithm 1. The time series initialization will transform the original time series (TS) into the new initialized time series (ITS). There are two phases of the time series initialization: a) examine the temperature data values, select the m numbers which appears most in yesterday's series, and repeat each number for n times (so there will be totally $m \times n$ numbers); b) randomly assort the $m \times n$ numbers into a series, position the series right in front of the actual temperature data series, splice the two series together into a new initialized series.

Algorithm 1: Time Series Initialization.

Input:
    Original Time Series (TS), m, n
Output:
    Initialized Time Series (ITS)
1: CountTS $\Leftarrow$ count the occurances of each temperature value
2: SortedTS $\Leftarrow$ sort CountTS in descending order
3: **for** $i = 1$ to m **do**
4:    **for** $j = 1$ to n **do**
5:       $ITS[m \times n]$ = SortedTS[m];
6:    **end for**
7: **end for**
8: $ITS \Leftarrow$ ramdomly shuffle ITS
9: **return** ITS;

Note that $m \times n$ equals to the lag of the mean and variance to ensure that they reflect a lag period without anomaly. Through series initialization, it is assured that there is no anomaly in the lag period, the mean and variance are not be affected, and the following detection will not be influenced.

3.2 Smoothed Z-Score Algorithm

The core concepts of Smoothed Z-Score Algorithm are as follows(Moore et al., 2011) : a) use the historical data in the lag to predict the next value, and if the actual value exceeds a certain threshold range of the predicted value, it will be considered as an outlier, or a point anomaly; b) smooth the outlier in order to eliminate the effects to the following anomaly detections.

The Smoothed Z-Score Algorithm is outlined in Figure 2. The first step is to set a lag and calculate the mean of the historical data in the lag to predict the next value (Lima et al., 2019). Then adjust the data range that would be considered acceptable through the soft-threshold setting. The soft-threshold is the number of standard deviations from the moving mean above which the algorithm will classify a new
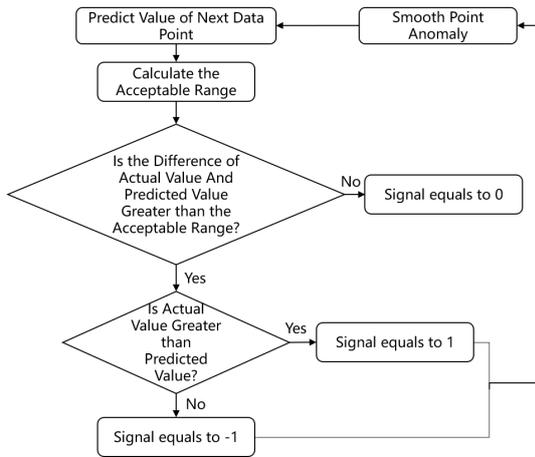
Figure 2: Outline of the Smoothed Z-score Algorithm.

datapoint as being an anomaly. The soft-threshold is problem-dependent, and is therefore value that must be tuned according to the characteristics of different data sets and the algorithm sensitivity that will be considered proper (Perkins and Heber, 2018). Afterwards, calculate the difference of the actual value and the predicted value. If the difference exceeds the range, the point would be considered as an outlier, or a point anomaly; otherwise, it is normal.

The detailed process description is stated below:

Step1: Predict the value of $point_{i+1}$, the next point of $point_i$, according to the set lag:

$$p'_{i+1} = \frac{1}{N}\sum_{l=i-N+1}^{i} p_l \qquad (2)$$

where p'_{i+1} is the predicted value of the $point_{i+1}$, p_l is the actual value of $point_l$, i = 1, 2, ..., N, N is the number of data in the lag.

Step2: Calculate the data range that would be considered acceptable (*range*), according to the variance of the historical data in the lag (σ^2_{lag}) and the soft-threshold (*S_threshold*), which is the number of standard deviations from the moving mean above which the algorithm will classify a new datapoint as being an anomaly (Dons et al., 2019).

$$range = \sigma^2_{lag} \times S\_threshold \qquad (3)$$

Step3: Calculate the difference of the actual value and the predicted value ($diff_{i+1}$) of $point_{i+1}$:

$$diff_{i+1} = p_{i+1} - p'_{i+1} \qquad (4)$$

where p_{i+1} is the actual value of the p'_{i+1}.

Step4: According to the range in step2, calculate the anomaly detection result ($signal_{i+1}$) for $point_{i+1}$:

$$signal_{i+1} = \begin{cases} -1 & \text{if } diff_{i+1} < 0 \\ 0 & \text{if } 0 \leq diff_{i+1} \leq range \\ 1 & \text{if } diff_{i+1} > range \end{cases} \qquad (5)$$

If $signal_{i+1}$ equals to 0, which means that the difference is less than the range, then $point_{i+1}$ is an outlier, or a point anomaly. When $point_{i+1}$ has been identified as an outlier, compare the difference with 0. If the difference is greater than 0, which means the actual value is greater than the predicted value, then it is an outlier of higher temperature; if the difference is smaller than 0, which means the actual value is lower than the predicted value, then it is an outlier of lower temperature.

Step5: If $signal_{i+1}$ does not equals to 0 in step4, smooth p_{i+1} by setting it equal to the value of the previous point $point_i$:

$$p^A_{i+1} = p_i \qquad (6)$$

where p^A_{i+1} means that $point_{i+1}$ is an outlier, p_i is the actual value of $point_i$.

Based on the above mentioned steps, the Smoothed Z-score Algorithm is outlined into Algorithm 2.

Algorithm 2: Smoothed Z-score Algorithm.

Input:
  Initialized Time Series (*ITS*), lag, soft-threshold (*S_threshold*)

Output:
  Anomaly Detection Result (*signal*)

1: **for** $i = lag$ to t **do**
2:   $PITS_{i+1} \Leftarrow mean(ITS_{i+1-lag}, ..., ITS_i)$
3:   $sigmalag_i \Leftarrow std(ITS_{i+1-lag}, ..., ITS_i)$
4:   **if** $absolute(ITS_{i+1} - PITS_{i+1}) > S\_threshold *$ $sigmalag_i$ **then**
5:     **if** $ITS_{i+1} > PITS_{i+1}$ **then**
6:       $signal_{i+1} \Leftarrow +1$
7:     **else**
8:       $signal_{i+1} \Leftarrow -1$
9:     **end if**
10:     $ITS_{i+1} \Leftarrow ITS_i$ /*smooth */
11:   **else**
12:     $signal_{i+1} \Leftarrow 0$
13:   **end if**
14: **end for**
15: **return** *signal*;

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4 DATA ANALYSIS

We collected real temperature data of 100 refrigerators sensors placed in biomedicine laboratories over a time range of 1 year and 2 months, and among which, we picked 3-week data (September 26, 2019 to October 16, 2019) of 18 different refrigerators sensors (10 invertor refrigerators and 8 conventional

refrigerators) to evaluate the performance of DTAD. The temperature data was collected every 10 minutes, each time series contains 3,024 instances, so the dataset contains 54,432 records in total. We labeled the data and compared the anomaly detection results of the DTAD method with the labeled data. Detailed description of the evaluation process is provided in this section.

4.1 Method Evaluation

Here, considering the periodicity reflected in invertor refrigerator data, we list the results of invertor refrigerator data and conventional refrigerator data separately. The tables display the statistics for actual anomalies and anomalies detected, as well as the accuracy for DTAD. The results are shown in Table 1 and Table 2, where NR is the number of real anomaly points, AR is abnormal rate, ND is the number of anomaly points detected, ACC is the accuracy. Accuracy (ACC) is adopted here to evaluate the effectiveness of this method. Accuracy is the ratio of points detected correctly (including anomaly points which were detected as abnormal, and normal points which were not detected as abnormal) to the total number of points.

$$AR = \frac{NR}{NP} \tag{7}$$

where NR is the number of real anomaly points, NP is the total number of points.

$$ACC = \frac{NDC}{NP} \tag{8}$$

where NDC is the number of points detected correctly, NP is the total number of points.

Table 1: Results of Periodic Invertor Refrigerator Data.

Sensor ID	NR	AR	ND	ACC
Sensor1	448	0.1481	413	0.9812
Sensor2	153	0.0506	148	0.9692
Sensor3	46	0.0152	48	0.9940
Sensor4	24	0.0079	26	0.9884
Sensor5	39	0.0129	52	0.9884
Sensor6	0	0	0	1
Sensor7	51	0.0169	40	0.9950
Sensor8	133	0.0440	101	0.9709
Sensor9	344	0.1138	291	0.9722
Sensor10	0	0	0	1

Table 1 and 2 show that the accuracies of DTAD for different sensors are all above 97%, and do not show any tendency of increase or decrease as the number of anomalies goes up. It proves

Table 2: Results of Non-periodic Conventional Refrigerators Data.

Sensor ID	NR	AR	ND	ACC
Sensor11	0	0	0	1
Sensor12	0	0	0	1
Sensor13	0	0	0	1
Sensor14	25	0.0083	20	0.9884
Sensor15	6	0.0020	13	0.9924
Sensor16	0	0	0	1
Sensor17	0	0	0	1
Sensor18	2	0.0007	3	0.9983

that DTAD has high accuracy, or in other words, excellent performance in detecting anomaly points for temperature time series data.

4.2 Comparative Evaluation

Different models are employed here to verify their effectiveness in detecting anomaly points for temperature times series. The comparative methods are Fixed Threshold method, 3sigma method, Boxplot method (Shevlyakov et al., 2013) and Isolated Forest method (Liu et al., 2009).

Precision (P), Recall (R) and F1-score ($F1$) are adopted here to evaluate the effectiveness of the five methods (Bishop, 2006). Precision is defined as the number of anomaly points detected correctly divided by the number of anomaly points detected. Recall is defined as the number of anomaly points detected correctly divided the number of actual anomaly points. Precision and recall are a pair of contradictory indicators. For most cases, if the precision is high, the recall is low; if the precision is high, the recall is low. In anomaly detection, if you want a higher Precision, the data range that would be considered abnormal needs to be narrowed down, so there will be fewer anomaly points detected and usually fewer anomaly points detected correctly, which results in a lower Recall. However, in cases where we want to find an optimal blend of precision and recall we can combine the two metrics using what is called F1-score.

$$P = \frac{NDC}{ND} \tag{9}$$

where NDC is the number of anomaly points detected correctly, ND is the number of anomaly points detected.

$$R = \frac{NDC}{NR} \tag{10}$$

where NDC is the number of anomaly points detected correctly, NR is the number of real anomaly points.

$$F1 = \frac{2 \times P \times R}{P + R} \qquad (11)$$

where P is the precision, R is the recall.

Table 3: Comparative Evaluation Results for Different Anomaly Detection Methods.

	ACC	P	R	F1
Fixed Threshold	0.9728	0.9208	0.9297	0.9252
3sigma	0.9173	**1**	0.2828	0.4409
Boxplot	0.9788	0.9869	0.8788	0.9297
Isolation Forest	0.9292	0.8274	0.6133	0.7044
DTAD	**0.9910**	0.9432	**0.9390**	**0.9411**

Table 3 shows that among the five methods, DTAD has the highest accuracy (0.9910) and F1(0.9411), followed by Boxplot (Shevlyakov et al., 2013) (P:0.9788 and F1:0.9297) and Fixed Threshold (P:0.9728 and F1:0.9252). Isolation Forest (Puggini and Mcloone, 2018) and 3sigma (Goldstein, 2014) do not perform well with temperature time series, with accuracies of 0.9292 and 0.9173 respectively and F1 of 0.7044 and 0.4409 respectively.

Besides accuracy, the time efficiency of different methods should also be taken into consideration when evaluating these methods. Here, we take the average time cost for the five methods to run a sensor's data to measure their time efficiency.

Table 4: Time Cost for Different Anomaly Detection Methods.

Models	Time(second)
Fixed Threshold	9.7713
3sigma	9.5046
Boxplot	9.0531
Isolation Forest	10.1892
DTAD	**8.9544**

In terms of time efficiency, the DTAD takes the shortest time and is the fastest of the five methods. Isolation forest takes the longest time, probably because it is a method of integrating multiple weak models with high time complexity.

4.3 Detection Results of Single Sensor

The above sections verify the effectiveness of the DTAD by calculating evaluation indexes for it as well as other commonly-employed anomaly detection methods. To further proof its validity, we compare the anomaly detection results (signals) with the observable anomalies in the actual temperature data visually. We select one-week data (September 30,

2019 to October 6, 2019) of Sensor1, plot the actual temperature data and the signals calculated using the DTAD in the same coordinate, and compare the peaks on the same time axis. In Figure 3, the blue lines represent the actual temperature data, the cyan lines represent the predicted temperature, the green lines represent the acceptable temperature range limit (upper and lower), and the red lines represent the signal. Figure 3 shows that the peaks in the actual temperature are in good agreement with the signals detected using the DTAD both for their occurrences and durations. It is also shown in this figure that the DTAD is acute as it can detect peaks that are visually smaller.
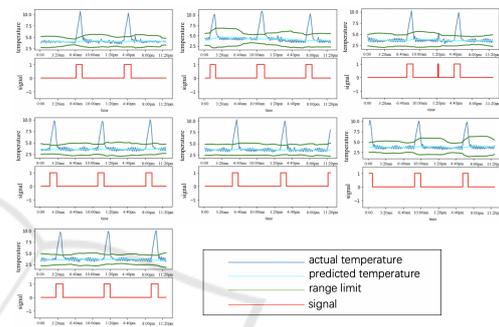
Figure 3: The DTAD Detection Results of Sensor1 From September 30 to October 6, 2019.

5 CONCLUSION

In this paper, we propose an unsupervised anomaly detection method based on dynamic threshold for temperature time series data. The commonly employed methods for anomaly detection neglect the gradual variation process of the anomaly points, which leads to comparatively lower accuracy and timeliness. To address the problem, this paper, for the first time, introduces Smoothed Z-score Algorithm in the field of temperature anomaly detection. The proposed DTAD method adjusts the acceptable temperature range through the data-driven adaptive thresholds which take the temperature variation pattern of the historical data into consideration. The proposed method also includes series initialization to eliminate the influences of the anomalies for future detection. We evaluate this method on real world temperature datasets of 3-week IoT data and provide the comparative evaluation of 4 other commonly employed maly detection methods. Experiments show that DTAD outperforms the other methods in both accuracy and time efficiency.

DTAD can be used in developing a fully

automated real-time monitoring anomaly detection system for IoT temperature data. One avenue of further study is to extend the detection to non-stationary time series data. Another effort will be oriented to the improvement of DTAD's applications on a wider range of datasets in the real-world context.

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REFERENCES

Bélanger, V., Beaulieu, M., Landry, S., and Morales, P. (2018). Where to locate medical supplies in nursing units: An exploratory study. In *Supply Chain Forum: An International Journal*, volume 19, pages 81–89. Taylor & Francis.

Bishop, C. M. (2006). *Pattern Recognition and Machine Learning (Information Science and Statistics)*.

Ceyssens, F., C. M. B. e. (2019). Chronic neural recording with probes of subcellular cross-section using 0.06 mm dissolving microneedles as insertion device. *Sensors and Actuators B: Chemical*, 284:369–376.

Clauson, K. A., Breeden, E. A., Davidson, C., and Mackey, T. K. (2018). Leveraging blockchain technology to enhance supply chain management in healthcare. *Blockchain in healthcare today*.

Dons, E., Laeremans, M., Orjuela, J. P., Avila-Palencia, I., de Nazelle, A., Nieuwenhuijsen, M., Van Poppel, M., Carrasco-Turigas, et al. (2019). Transport most likely to cause air pollution peak exposures in everyday life: Evidence from over 2000 days of personal monitoring. *Atmospheric environment*, 213:424–432.

Dueñas, M., Ojeda, B., Salazar, A., Mico, J. A., and Failde, I. (2016). A review of chronic pain impact on patients, their social environment and the health care system. *Journal of pain research*, 9:457.

Goldstein, M. (2014). *Anomaly Detection in Large Datasets*. Phd-thesis, University of Kaiserslautern, München, Germany.

Lei, Z., Yong, C., and Liao, S. (2018). Algorithm optimization of anomaly detection based on data mining. In *2018 10th International Conference on Measuring Technology and Mechatronics Automation (ICMTMA)*.

Li, W. and Chen, R. (2014). Intelligent medical system based on the internet of things and strategy research of its construction. *LASERNAL*, 35(5):56–59.

Liang, R. (2012a). Application of internet of things in the construction of intelligent medical system. *Computer knowledge and technology*, 8(2):303–306.

Liang, R. (2012b). Research on prediction method of api based on the enhanced moving average method. *Computer knowledge and technology*, 8(2):303–306.

Lima, B. M. R., Ramos, L. C. S., de Oliveira, T. E. A., da Fonseca, V. P., and Petriu, E. M. (2019). Heart rate detection using a multimodal tactile sensor and a z-score based peak detection algorithm. *CMBES Proceedings*, 42.

Liu, F. K., Deng, C. Y., Wang, X. R., and Wang, X. Y. (2017). Outlier detection of smart grid big data based on improved fast search and find density peaks clustering algorithm. *Electric Power Information and Communication Technology*.

Liu, F. T., Kai, M. T., and Zhou, Z. H. (2009). Isolation forest. In *Data Mining, 2008. ICDM '08. Eighth IEEE International Conference on*.

Makui, A., Ashouri, F., and Barzinpour, F. (2019). Assignment of injuries and medical supplies in urban crisis management. *Journal of Applied Research on Industrial Engineering*, 6(3):232–250.

Moore, J., Goffin, P., Meyer, M., Lundrigan, P., Patwari, N., Sward, K., and Wiese, J. (2011). Managing in-home environments through sensing, annotating, and visualizing air quality data. *Proceedings of the ACM on Interactive, Mobile, Wearable and Ubiquitous Technologies*, 2(3):1–28.

Munir, M., Siddiqui, S. A., Dengel, A., and Ahmed, S. (2019). Deepant: A deep learning approach for unsupervised anomaly detection in time series. *IEEE Access*.

Mushtaq, R. (2011). Augmented dickey fuller test.

Perkins, P. and Heber, S. (2018). Identification of ribosome pause sites using a z-score based peak detection algorithm. In *2018 IEEE 8th International Conference on Computational Advances in Bio and Medical Sciences (ICCABS)*, pages 1–6. IEEE.

Puggini, L. and Mcloone, S. (2018). An enhanced variable selection and isolation forest based methodology for anomaly detection with oes data. *Engineering Applications of Artificial Intelligence*, 67:126–135.

Shevlyakov, G. L., Andrea, K., Choudur, L., Smirnov, P. O., and Vassilieva, N. (2013). Robust versions of the tukey boxplot with their application to detection of outliers. In *IEEE International Conference on Acoustics, Speech, and Signal Processing*.

Ukil, A., Bandyoapdhyay, S., Puri, C., and Pal, A. (2016). Iot healthcare analytics: The importance of anomaly detection. In *2016 IEEE 30th International Conference on Advanced Information Networking and Applications (AINA)*, pages 994–997. IEEE.